

Consider a uniform and isotropic gas for which the number density of gas particles with velocity between \mathbf{v} and $\mathbf{v} + d\mathbf{v}$ is $f(\mathbf{v})dv_x dv_y dv_z$. Focus on an area element dA that is perpendicular to the z -axis and on the wall of the gas container. Let θ be the angle between \mathbf{v} and the $+z$ -direction and ϕ be the associated azimuthal angle. Which of the following is the correct expression for the number of particles with velocity between \mathbf{v} and $\mathbf{v} + d\mathbf{v}$ that hit the area element over a time interval dt ?

- $f(\mathbf{v})(v_z)(dv_z)(dA)(dt)$
- $f(\mathbf{v})(v)(dv)(dA)(dt)$
- $f(\mathbf{v})(v)(dv_x)(dv_y)(dv_z)(dA)(dt)$
- $f(\mathbf{v})(v^3)(\cos \theta)(\sin \theta)(dv)(d\theta)(d\phi)(dA)(dt)$
- $f(\mathbf{v})(v^3)(\sin \theta)(dv)(d\theta)(d\phi)(dA)(dt)$