HW 8 Electronic Communication Systems Fall 2008 California State University, Fullerson

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1 Questions

$$E = 443 \qquad (layer 3) \qquad HH = 8 \qquad page 4$$

$$INH(20) \qquad V_2 = a_1 V_1(4) + a_2 V_1(4) \qquad (1)$$

$$Whire, \qquad V_1(4) = A_2 \cos 2if_2t + m(4) \qquad (2)$$

$$Richt) = a_1 \left[A_2 \cos 2if_2t + m(4)\right] + a_2 \left[A_2 \cos 2if_2t + m(4)\right]^2$$

$$\Rightarrow V_2(4) = a_1 A_2 \left[1 + \frac{2a_2}{a_1} m(4)\right] \cos 2if_2t + a_1 m(4) + a_2 \cos^2(4) + a_2 A_2 \cos^2(2if_2t) + a_1 m(4) + a_2 A_2 \cos^2(2if_2t) \right]$$

$$The Prigral at the author of bandpass folice is:
$$V_0(4) = a_1 A_1 \left[1 + \frac{2a_2}{a_1} m(4)\right] \cos 2if_2t + which is an AM wave.$$$$

2 Key solution

Dill Prob # 3.4)
$$U_2(1) = a_1 U_1(1) + a_2 U_1^2 U_1$$
 (1) $U_1(1) = b_1 a_2 (2069) + m(4)$ (2)

 $U_2(4) = a_1 A_1 c_2 (2016) + a_1 m(4) + a_2 A_2^2 a_3^2 a_4 f_6 + a_3 a_4^2 f_1 + 2 a_2 A_2 m(4) dos, 2016 + 4 a_3 a_4^2 f_2 + 4 a_3 a_4^2 f_1 + 2 a_2 A_2 m(4) dos, 2016 + 4 a_3 a_4 f_2 f_3 + 4 a_3 a_4^2 f_4 + 4 a_4 a_4 f_4 f_4 + 4 a_4 a_4^2 f_4 + 4 a_4 a_4^2 f_4 + 4 a_4 a_4 f_4 f_4 + 4 a_4 a_$

EE 443 Hw # 8 Chapt. (3) page 2 The plot of eq.(5) is shown in figure # 3. $= \frac{a_1Ac}{2}S(f)$ $= \frac{a_1Ac}{2}S(f)$ $= \frac{a_1Ac}{2}S(f-fc)$ $= \frac{a_1Ac}{2}S(f-fc)$ F18 # 3 Shows the Spectral Combent of Vill). 1) To extract the desined Am Irignal, use eq (4) and identify the Am Sorgnal; (24) = a, Ac[1+ 2 a2 m/4)] cos 211 fc £ + (4, m/s) + a2 m/4) 42 Ac + ard cos411fet Desired AM Signal undermed Component 16, A Bandpar filler Centered of fe with total extend of stryp That is having a transfer function of ! $H(f) = Nect\left(\frac{f-fc}{2N}\right) + Nec\left(\frac{f+fc}{2N}\right)$ Will pass the desired Ingral (AM Ingral) and climinated the Einwanted Components

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Using eq. (7) and figure #(3) we see that the required

B. P. F must have a handwidth of 2N Hz and centered

of fc, thus the cut-off frequencies of BPF are

lo-w and lot w Hz.

C) To a voide Spechal overlopping of the desired signal (AM Sognal) with that of unwanted signals in Valt), using figure # 3, we see that

I fo-w 7 2n => fe 7 3n

Thus fo > 3w

2) fe+w < 2 fe => fe 7 w

}

3.23

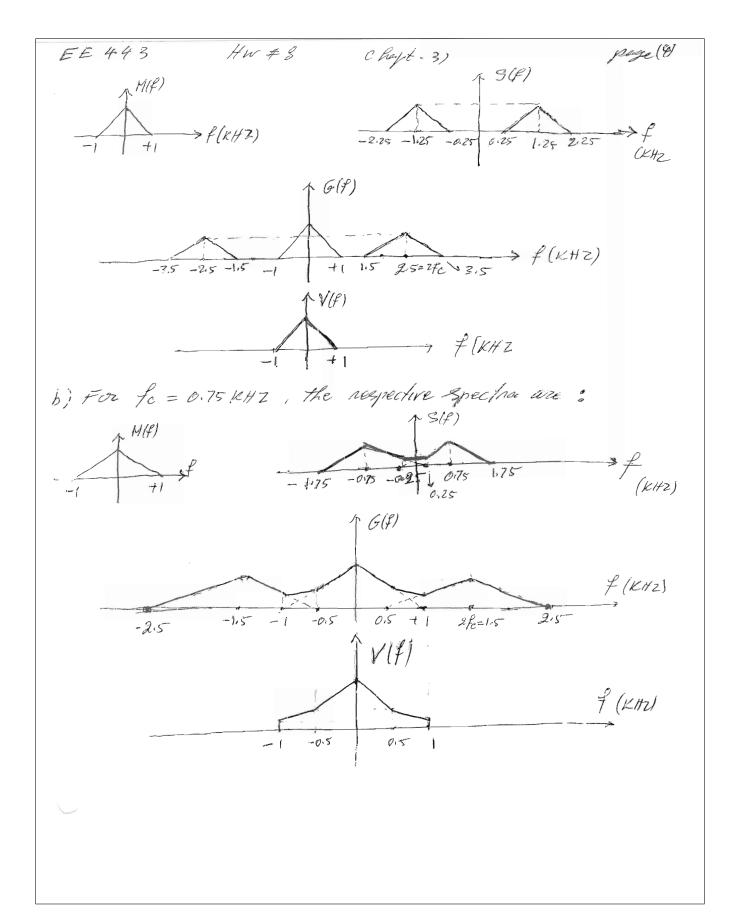
ABSUME on (4) with Spectrum of -w=-KHZ W=1KHZ fig # 1

M(4) Sid Y Sid Sid VIPF VH.)

Clu = Ac is affet C(H)=Ac as 2 Met C(H)=Ac as

 $S(t) = m(t) c(t) = Ac m(t) cos 2/1/ct \Rightarrow S(t) = \frac{Ac}{2} \left[M(t-fc) + M(t+fc) \right]$ $S(t) = N(t) \cdot c'(t) = AcA'c m(t) cos^2 2/1/ct = \frac{AcA'c}{2} m(t) \left[1 + los 4/1/ct \right]$ $G(t) = \frac{AcA'c}{2} M(t) + \frac{AcA'c}{4} \left[M(t-2fc) + M(t+2fc) \right]$ (3) $S(t) = \frac{AcA'c}{2} M(t) + \frac{AcA'c}{4} \left[M(t-2fc) + M(t+2fc) \right]$ (3)

a) For fo = 1.25 KH2, the Spectrum of mld), the Spectrum of 3H) and the Spectrum of 4H) (detector output) are ?



3 my graded HW

HW# 8 BE 443 Fall 2008 CSUF. Masseur Abbasi

Problem 5-1 AM broadcast transmitter is trested by freeding RF output into 50-52 load. Tone Modulation is used, Carrier Frequency is 850 KHZ and pound output is 5000 W. the sinusoidal tone of looster is set for 90% model-time a) Evaluate the FCE Power in dBK (dB over 1 KW) mits. b) write an equation for the voltage that appears across the 50-2 load giving numerical value of all constants c) sketch the spectrum of this voltage as it would appeal on a Calibrated d) what is the awage power that is keing dissipated in the during Spectrum andyers. Load ? e) what is peak envelope power? a) 10/08 (5000) = 6.989? ~ 7 dbk Answb) S(+) = Ac(1+1 Coolint) Coolict where won is the tone frequency 2TT (1000) sad/sec. and we is the Carried frequency 2TT (860,000) rad/se. M= .9. Need to Find Ac; Carrier Power = Ac , but this is normalized to 1. St. hence $P = \left(\frac{Ac^2}{a}\right) \frac{1}{R}$ where R = 50 sz. $P = \frac{Ac^2}{100} = Ac = \sqrt{100(P)}$, but P = 5000 Wath So Ac = V100 (5000) = 1707./ V So Voltage equation is (1) given by 5(+) = 707 (1+0.9 Cos (\$TIX1000) t) Cos (\$ZII x 850,000) t

S(+) =
$$707\cos 2\pi f_{H} + \frac{707(0.9)}{2} \left[\cos \left(2\pi \left(f_{c} + f_{m}\right)\right) + \cos 2\pi \left(f_{c} - f_{m}\right)\right]$$

Nence spectral is

$$\frac{1}{1\cos x} - f_{c} = \frac{1}{1\cos x} + \frac{707(0.9)}{2} = \frac{318.2}{2}$$
The total Neumalized average power = $\left(\frac{Ac}{2}\right) + \left(\frac{Ac}{2}\right)^{2}$

Normalized $\left(\frac{Ac}{2}\right) + \frac{Ac}{2} = \frac{1}{1000} \left[\frac{707}{2} + \frac{Ac}{2}\right]^{2}$

$$\frac{1}{1000} + \frac{1}{1000} + \frac{1}{$$

5-3 ANI transmitter modulated with m(+) = 0.25 in W,++0.5 65 W2+ 0 f= 500HZ, f= 500T HZ. A=100.

- (a) Evaluate overage power of the AM signal
- (b) Evolunte Peak Envelope Power (PEP).

Answar.

(a) average power (normalized) is sheet by $\frac{A_c^2}{2} + \left(\frac{A_c \mu}{2}\right)^2$

Solt)= Ac(1+ 0.26mwit+.540wzt) Cove+ > expands > Sinusoid f. = Ac Coswet + 2 Acsin wit +.5 Ac Coow2+

From lined average Forms $\frac{A_c^2}{2} + \frac{(.2A_c)^2}{2} + \frac{(.5A_c)^2}{2}$ $= \frac{100^2}{2} + \frac{20^2}{2} + \frac{50^2}{2} = \frac{[6,450 \text{ WnH}]}{2} \times \frac{100^2}{2}$

When voing Land. R=5052 ghen in problem 5-2, we obtain

(b) Awax = Ac(1+11)

have $PEP = \frac{[loo(1+.2)]^{2}}{2} + \frac{[loc(1+.5)]^{2}}{2} = \frac{7,260 + 11,250}{2} = \frac{[18,450]}{2}$

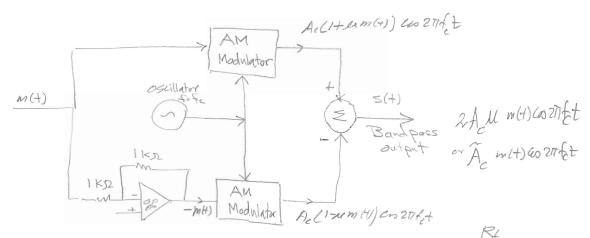
PEP = [100(1.2)] + [100(1.5)] = [369 Wath]

A DSB-SC Signal is modulated by MH) = GOWITT GORIST Where fi = 500HZ and Ac = 1. (a) write expression for DSB-SC 5'Snot and sketch Pizture of this ware form (b) Evaluate and sketch the spectrum of this signed. (E) Find the average (normalized) Downs d) Find PEP (normalized). Avenor DSB-SC is double sided corrider Supprissel. a) Tolt) = Ac Coswet much hence S(+) = COS 2THE+ (COO)++ 2 COD 210,+) = cos 201 fct (co 200 (500)+ 2 (00 (271 (NOOD)+) 1 2 Ces (271 (1000)+1 me 1 (co (27 (500) t) and multiply by Carries

b)
$$S(4) = Coo 2\pi f_{c} (Coo 2\pi f_{c} + 2 Coo 4\pi f_{c} + 2 Coo 2\pi f_{c} + 2 f_{c} + 2$$

5-9 A DSB-SC Signal can be generated From Z AM Signals. Using mathematics to describe signals at each point on figure, prone output to DSB-SC.

Arswer



Ope Am acts as an inverting Amplifier Vin Rin Vont

Vont = - Vin $\left(\frac{R_f}{R_{in}}\right)$ Since $R_f = R_{in}$ in this problem, then $Vont = -V_{in}$.

hone S(+) = Ac(1+11m(+))(as 21) fet - [Ac(1-11m(+)) (as 21) fet]

cr

S(+) = Ac(952) fet + Ac 11m(+) (as 21) fet - [Ac(302) fet - Ac 11m(+) (as 21) fet]

= 2 A. M. M.(+) (as 21) fet

Combine 2Ach => Ãe

Ac m(+) correct

use obtain egention for DSB-SC.

herce the above Circuit Suppresses the Carrier port

8.50 From Text Book

Find spectral density $S_Z(f)$ if. $Z(+) = \chi(+) + \chi(+)$ where $\chi(+), \chi(+)$ are independent zero-mean R.P. with

Px(T) = 9, e and Ry(T) = 92 e $-\alpha_2 |T|$

Answer

$$R_{\chi}(z) = \frac{a_1 e^{\chi} z}{a_1 e^{\chi} z}$$

$$\alpha_1 = \frac{a_1 e^{\chi} z}{a_1 e^{\chi} z}$$

$$\alpha_2 = \frac{a_1 e^{\chi} z}{a_1 e^{\chi} z}$$

$$\alpha_3 = \frac{a_1 e^{\chi} z}{a_2 e^{\chi} z}$$

$$R_{+}(7) = \frac{x_{2}7}{a_{2}e^{-x_{2}7}}$$

$$a_{2}e^{-x_{2}7}$$

$$a_{2}e^{-x_{2}7}$$

$$a_{3}e^{-x_{3}7}$$

$$a_{4}e^{-x_{2}7}$$

$$a_{5}e^{-x_{5}7}$$

The Sollowing are possible ways to solve This problem:

O Find RZ(T) by adding Rx(T)+ Ry(T). Find Fouries Transform
of RZ(T), this gives SZ(1).

2) Find Foorier Transform of Rx(t) and Ry(t). This gives Sx(t) and Sy(f). Then due to Linearity of Fourier transform, add Sx(f) + Sy(f) to obtain Sz(f).

using method G. First need to show that $R_{Z}(T) = R_{X}(T) + R_{Y}(T)$: $R_{Z}(T) = E_{X}(X(t) + Y(t)) \left(X(t+T) + Y(t+T) \right)^{2}$

$$= E \left\{ x(t) \times (t+t) + x(t) + (t+t) + (t+t) + (t+t) + (t+t) \right\}$$

=
$$R_{\times}(\tau)$$
 + $E(\times(+)\times(++7))$ + $E(\times(+)\times(++7))$ + $R_{Y}(\tau)$
since indep.

E(X(+)) E(Y(+7)) + E(Y(+)) E(X(+7))

$$SO[R_{Z}(T) = R_{X}(T) + R_{Y}(T)]$$

Fence Ratt) = $(a_1e^{x_1t} + a_2e^{x_2t})u(-t) + (a_1e^{-x_1t} + a_2e^{-x_2t})u(t)$

$$and \int_{-\infty}^{\infty} a_{1}e^{-x}e^{-x} dt = a_{1} \int_{-2\pi}^{\infty} \frac{a_{1}}{f+\alpha_{1}} dt = a_{1} \int_{-2\pi}^{\infty} \frac{a_{2}}{f+\alpha_{2}} dt = a_{1} \int_{-2\pi}^{\infty} \frac{a_{1}}{f+\alpha_{2}} dt = a_{1} \int_{-2\pi}^{\infty} \frac{a_{2}}{f+\alpha_{2}} dt = a_{2} \int_{-2\pi}^{\infty} \frac{a_{2}}{f+\alpha_{2}} dt$$